## Basic Hydraulic Formulas

## Pressure, Force and Horsepower Relationships:

Pressure $(\mathrm{psi})=$ force $(\mathrm{lbs}) /$ area $\left(\mathrm{in}^{2}\right)$
Force (lbs) $=$ area $\left(\mathrm{in}^{2}\right) \times$ pressure $(\mathrm{psi})$
Area $\left(\mathrm{in}^{2}\right)=$ force $(\mathrm{lbs}) /$ pressure $(\mathrm{psi})$

## Fluid Power Horsepower:

Fluid Power Horsepower (hp) = pressure (psi) x pump flow (gpm) / 1,714

## Torque and Horsepower Relationships:

Torque (ft lbs) = horsepower (hp) x 5,252 / speed (rpm)
Horsepower (hp) = torque (ft lbs) x speed (rpm) / 5,252
Speed $(\mathrm{rpm})=$ horsepower $(\mathrm{hp}) \times 5,252 /$ torque $(\mathrm{ft} \mathrm{lbs})$

## Basic Cylinder Calculations:

Piston Cylinder Area ( $\mathrm{in}^{2}$ ) $=$ diameter squared x .7854
(Can also use 3.1416 x radius squared (ins))
Piston Rod End (annulus end) Area $\left(\mathrm{in}^{2}\right)=$ piston cylinder area $\left(\mathrm{in}^{2}\right)$ - rod area $\left(\mathrm{in}^{2}\right)$
Cylinder Force (lbs) $=$ pressure $(\mathrm{psi}) \times$ area $\left(\mathrm{in}^{2}\right)$
Cylinder Speed $(\mathrm{ft} / \mathrm{min})=19.25 \mathrm{x}$ flow rate $(\mathrm{gpm}) /$ area $\left(\mathrm{in}^{2}\right)$
(Divide by 60 to convert speed to $\mathrm{ft} / \mathrm{sec}$ )
Cylinder Speed $(\mathrm{in} / \mathrm{min})=$ flow rate $(\mathrm{cu} \mathrm{ins} / \mathrm{min}) /$ area $\left(\mathrm{in}^{2}\right)$
(Note that 1 US gallon $=231 \mathrm{cu}$ ins)

Cylinder Time (secs) $=$ area $\left(\mathrm{in}^{2}\right) \times$ cylinder stroke (ins) $\mathrm{x} .26 /$ flow rate $(\mathrm{gpm})$
Cylinder Flow Rate $(\mathrm{gpm})=12 \times 60 \mathrm{x}$ cylinder speed $(\mathrm{ft} / \mathrm{sec}) \mathrm{x}$ area $\left(\mathrm{in}^{2}\right) / 231$
Cylinder Volume Capacity (gals) = cylinder area $\left(\mathrm{in}^{2}\right) \mathrm{x}$ cylinder stroke (ins) / 231

## Basic Hydraulic Motor Calculations:

Motor Torque (in lbs) = pressure (psi) x motor displacement (cu ins/rev) / 6.28
(Can also use horsepower (hp) x 63,025 / speed (rpm)
Motor Speed $(\mathrm{rpm})=231 \times$ flow rate $(\mathrm{gpm}) /$ motor displacement $(\mathrm{cu} \mathrm{ins} / \mathrm{rev})$
Motor Horsepower $(\mathrm{hp})=$ torque $($ in lbs) x motor speed $(\mathrm{rpm}) / 63,025$
Motor Flow Rate $(\mathrm{gpm})=$ motor speed $(\mathrm{rpm}) \times$ motor displacement $(\mathrm{cu} \mathrm{ins} / \mathrm{rev}) / 231$
Motor Displacement $(\mathrm{cu} \mathrm{ins} / \mathrm{rev})=$ torque $(\mathrm{in} \mathrm{lbs}) \times 6.28 /$ pressure $(\mathrm{psi})$

## Basic Pump Calculations:

Pump Outlet Flow $(\mathrm{gpm})=$ pump speed $(\mathrm{rpm}) \times$ pump displacement $(\mathrm{cu} \mathrm{ins} / \mathrm{rev}) / 231$
Pump Speed $(\mathrm{rpm})=231 \times$ pump flow rate $(\mathrm{gpm}) /$ pump displacement $(\mathrm{cu} \mathrm{ins} / \mathrm{rev})$
Pump Horsepower $(\mathrm{hp})=$ flow rate $(\mathrm{gpm}) \times$ pressure $(\mathrm{psi}) / 1,714 \times$ pump efficiency factor
$($ Can also use horsepower $(\mathrm{hp})=$ torque $(\mathrm{in} \mathrm{lbs}) \times$ pump speed $(\mathrm{rpm}) / 63,025)$
Pump Torque (in lbs) $=$ pressure $(\mathrm{psi}) \times$ pump displacement $(\mathrm{cu} \mathrm{ins} / \mathrm{rev}) / 6.28$
(Can also use horsepower (hp) x 63,025 / pump displacement (cu ins/rev)

Heat Generation Formulas: Converting heat into other units
$1 \mathrm{hp}=2,545 \mathrm{BTU} / \mathrm{hr}=42.4 \mathrm{BTU} / \mathrm{min}=33,000 \mathrm{ft} . \mathrm{lbs} . / \mathrm{min}=746$ watts
Horsepower $(\mathrm{hp})=$ pressure $(\mathrm{psi}) \times$ flow $(\mathrm{gpm}) / 1714$-or- $\mathrm{BTU} / \mathrm{hr}=1 \frac{1}{2} \times \mathrm{psi} \times \mathrm{gpm}$
$1 \mathrm{BTU} / \mathrm{hr}=.0167 \mathrm{BTU} / \mathrm{min}=.00039 \mathrm{hp}$

Example: 10 gpm flow across a pressure reducing valve with a 300 -psi drop $=1.75 \mathrm{hp}$ of heat generated
1.75 hp of heat $=4,453 \mathrm{BTU} / \mathrm{hr}=105 \mathrm{BTU} / \mathrm{min}=57,750 \mathrm{ft} . \mathrm{lbs} . / \mathrm{min}=1,305$ watts

- Most of this heat will be carried back to the reservoir.
- Note that heat is generated anytime no mechanical output work is produced

General cooling capacity of a steel reservoir: HP (heat) $=.001 \times \mathrm{TD} \times \mathrm{A}$
$\mathrm{TD}=$ temperature difference of the oil in the reservoir and the surrounding ambient air
$A=$ entire surface area of the reservoir in square feet (including the bottom if elevated)

## General Information and "Rules of Thumb":

Estimating pump drive horsepower: 1 hp of input drive for each 1 gpm at $1,500 \mathrm{psi}$ pump output
Horsepower when idling a pump: an idle and unloaded pump will require about $5 \%$ of its full rate hp

Reservoir capacity $($ GALS $)=$ length (INS) x width (INS) x height (INS) / 231
Oil compressibility: $1 / 2 \%$ approximate volume reduction for every $1,000 \mathrm{psi}$ of pressure
Water compressibility: $1 / 3 \%$ approximate volume reduction for every $1,000 \mathrm{psi}$ of pressure
Wattage to heat hydraulic oil: each 1 watt will raise the temperature of 1 gallon of oil by $1^{\circ} \mathrm{F}$ per hour

Guidelines for flow velocity in hydraulic lines:

- 2 to $4 \mathrm{ft} / \mathrm{sec}=$ suction lines
- 10 to $15 \mathrm{ft} / \mathrm{sec}=$ pressure lines up to 500 psi
- 15 to $20 \mathrm{ft} / \mathrm{sec}=$ pressure lines $500-3,000 \mathrm{psi}$
- $25 \mathrm{ft} / \mathrm{sec}=$ pressure lines over $3,000 \mathrm{psi}$
- $4 \mathrm{ft} / \mathrm{sec}=$ any oil lines in air-over-oil systems

Velocity of oil flow in a pipe: velocity $(\mathrm{ft} / \mathrm{sec})=$ flow $(\mathrm{gpm}) \times .3208 /$ inside area of the pipe (sq ins)

Circle area formulas:

- $\quad$ Area (sq ins) $=\pi \times \mathrm{r}^{2}$ where $\pi(\mathrm{pi})=3.1416$ and $\mathrm{r}=$ radius in inches squared
- Area (sq ins) $=\pi \mathrm{xd}^{2} / 4$ where $\pi(\mathrm{pi})=3.1416$ and $\mathrm{d}=$ diameter in inches
- Circumference (ins) $=2 \times \pi \times r$ where $\pi(\mathrm{pi})=3.1416$ and r is radius in inches
- Circumference (ins) $=\pi \times \mathrm{xd}$ where $\pi(\mathrm{pi})=3.1416$ and $\mathrm{d}=$ diameter in inches


## Commonly Used Fluid Power Equivalents:

One US gallon equals:

- 231 cubic inches
- 3.785 liters ( 1 liter $=.2642$ US gals)
- 4 quarts or 8 pints
- 128 ounces liquid / 133.37 ounces weight
- 8.3356 pounds weight

One horsepower equals:

- $33,000 \mathrm{ft}$ lbs per minute
- 550 ft lbs per sec
- 42.4 BTU per min
- 2,545 BTU per hour
- 746 watts
- 0.746 kw

On psi equals:

- . 0689 bar ( $1 \mathrm{bar}=14.504 \mathrm{psi})$
- 6.895 kilopascal
- 2.0416 hg (inches of mercury)
- 27.71" water

One atmosphere equal:

- 14.696 psi
- 1.013 bar
- 29.921 hg (inches of mercury)

Note: This information is provided as a quick reference resource and is not intended to serve as a substitute for qualified engineering assistance. While every effort has been made to ensure the accuracy of this information, errors can occur. As such, neither IFP, any of its affiliated companies nor its employees will assume any liability for damage, injury or misapplication as result of using this reference guide.

